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2.0.1 Load the data as a Pandas data frame and ensure that it imported correctly.

```
[25]: import pandas as pd

# Load the dataset
url = 'https://archive.ics.uci.edu/ml/machine-learning-databases/auto-mpg/
↳auto-mpg.data'
columns = ["mpg", "cylinders", "displacement", "horsepower", "weight", "
↳acceleration", "model_year", "origin", "car_name"]
data = pd.read_csv(url, delim_whitespace=True, names=columns)

# Display the first few rows of the dataframe to ensure it imported correctly
print(data.head())
```

	mpg	cylinders	displacement	horsepower	weight	acceleration	model_year	\
0	18.0	8	307.0	130.0	3504.0	12.0	70	

1	15.0	8	350.0	165.0	3693.0	11.5	70
2	18.0	8	318.0	150.0	3436.0	11.0	70
3	16.0	8	304.0	150.0	3433.0	12.0	70
4	17.0	8	302.0	140.0	3449.0	10.5	70

	origin	car_name
0	1	chevrolet chevelle malibu
1	1	buick skylark 320
2	1	plymouth satellite
3	1	amc rebel sst
4	1	ford torino

3 STEP 2:

3.0.1 Begin by prepping the data for modeling

```
[26]: # Remove the car name column
data.drop(columns=['car_name'], inplace=True)

# Convert horsepower to numeric, replace non-numeric values with NaN
data['horsepower'] = pd.to_numeric(data['horsepower'], errors='coerce')

# Replace NaN values with the mean of the column
data['horsepower'].fillna(data['horsepower'].mean(), inplace=True)

# Create dummy variables for the origin column
data = pd.get_dummies(data, columns=['origin'], prefix='origin',
↳ drop_first=True)

# Verify changes
print(data.head())
```

	mpg	cylinders	displacement	horsepower	weight	acceleration	\
0	18.0	8	307.0	130.0	3504.0	12.0	
1	15.0	8	350.0	165.0	3693.0	11.5	
2	18.0	8	318.0	150.0	3436.0	11.0	
3	16.0	8	304.0	150.0	3433.0	12.0	
4	17.0	8	302.0	140.0	3449.0	10.5	

	model_year	origin_2	origin_3
0	70	False	False
1	70	False	False
2	70	False	False
3	70	False	False
4	70	False	False

4 STEP 3:

4.0.1 Create a correlation coefficient matrix and/or visualization. Are there features highly correlated with mpg?

```
[27]: # Create a correlation matrix
correlation_matrix = data.corr()

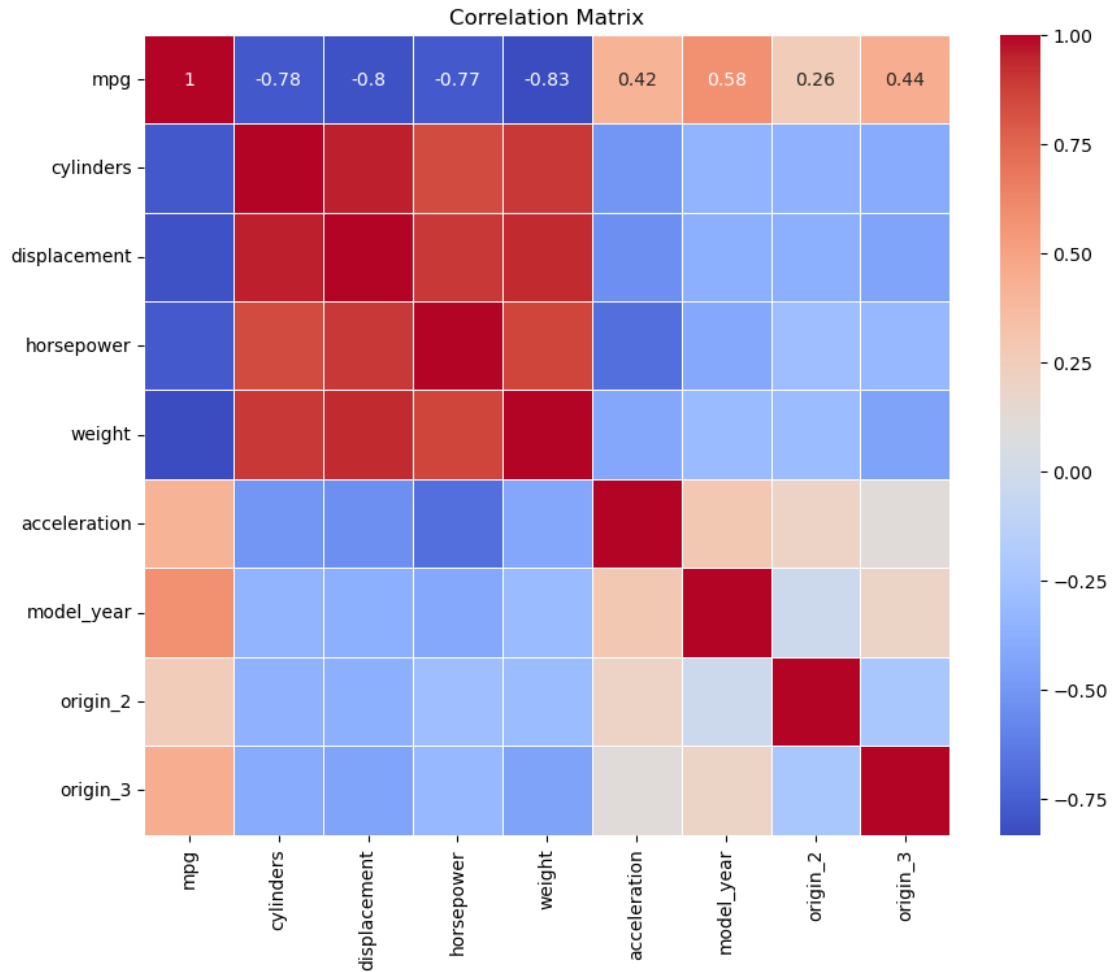
# Display the correlation matrix
print(correlation_matrix)

# Plot a heatmap of the correlation matrix
import seaborn as sns
import matplotlib.pyplot as plt

plt.figure(figsize=(10, 8))
sns.heatmap(correlation_matrix, annot=True, cmap='coolwarm', linewidths=0.5)
plt.title('Correlation Matrix')
plt.show()
```

	mpg	cylinders	displacement	horsepower	weight	\
mpg	1.000000	-0.775396	-0.804203	-0.771437	-0.831741	
cylinders	-0.775396	1.000000	0.950721	0.838939	0.896017	
displacement	-0.804203	0.950721	1.000000	0.893646	0.932824	
horsepower	-0.771437	0.838939	0.893646	1.000000	0.860574	
weight	-0.831741	0.896017	0.932824	0.860574	1.000000	
acceleration	0.420289	-0.505419	-0.543684	-0.684259	-0.417457	
model_year	0.579267	-0.348746	-0.370164	-0.411651	-0.306564	
origin_2	0.259022	-0.352861	-0.373886	-0.281258	-0.298843	
origin_3	0.442174	-0.396479	-0.433505	-0.321325	-0.440817	

	acceleration	model_year	origin_2	origin_3
mpg	0.420289	0.579267	0.259022	0.442174
cylinders	-0.505419	-0.348746	-0.352861	-0.396479
displacement	-0.543684	-0.370164	-0.373886	-0.433505
horsepower	-0.684259	-0.411651	-0.281258	-0.321325
weight	-0.417457	-0.306564	-0.298843	-0.440817
acceleration	1.000000	0.288137	0.204473	0.109144
model_year	0.288137	1.000000	-0.024489	0.193101
origin_2	0.204473	-0.024489	1.000000	-0.229895
origin_3	0.109144	0.193101	-0.229895	1.000000



Correlation Matrix Analysis The heatmap shows the correlation coefficients between different features in the dataset. Here are some key observations:

MPG is highly negatively correlated with:

weight (-0.83), displacement (-0.80), cylinders (-0.78), horsepower (-0.77)

MPG is moderately positively correlated with:

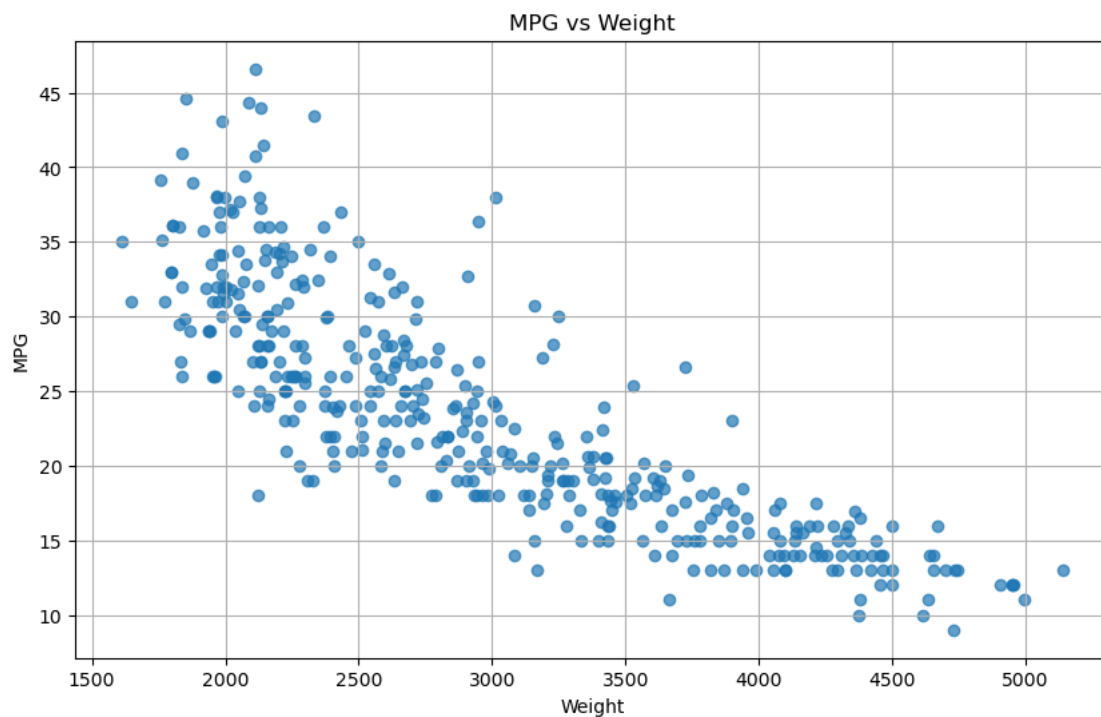
model year (0.58), acceleration (0.42)

This means that as the weight, displacement, number of cylinders, and horsepower of a car increase, its fuel efficiency (MPG) tends to decrease. Conversely, newer car models and cars with higher acceleration tend to have better fuel efficiency.

5 STEP 4:

5.0.1 *Plot mpg versus weight. Analyze this graph and explain how it relates to the corresponding correlation coefficient.*

```
[28]: # Plot mpg versus weight
plt.figure(figsize=(10, 6))
plt.scatter(data['weight'], data['mpg'], alpha=0.7)
plt.title('MPG vs Weight')
plt.xlabel('Weight')
plt.ylabel('MPG')
plt.grid(True)
plt.show()
```



Analysis of MPG vs Weight Plot The scatter plot of MPG versus weight shows a clear negative relationship. As the weight of the car increases, the miles per gallon (MPG) tends to decrease. This visual representation confirms the high negative correlation coefficient of -0.83 observed in the correlation matrix.

Key Points: *Negative Slope:*

The downward trend in the scatter plot indicates that heavier cars generally have lower fuel efficiency.

Density of Points:

There are more data points in the lower weight range, suggesting that lighter cars are more common in the dataset.

Outliers:

Some points deviate from the general trend, but the overall pattern remains consistent.

This strong negative correlation means that weight is a significant predictor of MPG, and any model predicting MPG should consider weight as an important feature.

6 STEP 5:

6.0.1 *Randomly split the data into 80% training data and 20% test data, where your target is mpg.*

```
[29]: from sklearn.model_selection import train_test_split

# Define features and target
X = data.drop(columns=['mpg'])
y = data['mpg']

# Split the data into training (80%) and test (20%) sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2,
    random_state=42)
```

7 STEP 6:

7.0.1 *Train an ordinary linear regression on the training data.*

```
[30]: from sklearn.linear_model import LinearRegression
from sklearn.metrics import r2_score, mean_squared_error, mean_absolute_error

# Train a linear regression model
lr_model = LinearRegression()
lr_model.fit(X_train, y_train)

# Predict on training and test sets
y_train_pred = lr_model.predict(X_train)
y_test_pred = lr_model.predict(X_test)

# Calculate R2, RMSE, and MAE for training set
r2_train = r2_score(y_train, y_train_pred)
rmse_train = mean_squared_error(y_train, y_train_pred, squared=False)
mae_train = mean_absolute_error(y_train, y_train_pred)

# Calculate R2, RMSE, and MAE for test set
r2_test = r2_score(y_test, y_test_pred)
rmse_test = mean_squared_error(y_test, y_test_pred, squared=False)
```

```

mae_test = mean_absolute_error(y_test, y_test_pred)

# Display the results
print("Linear Regression Performance:")
print(f"Training Set - R2: {r2_train}, RMSE: {rmse_train}, MAE: {mae_train}")
print(f"Test Set - R2: {r2_test}, RMSE: {rmse_test}, MAE: {mae_test}")

```

Linear Regression Performance:
Training Set - R2: 0.8188288951042786, RMSE: 3.3702735639389054, MAE:
2.6054846937710363
Test Set - R2: 0.8449006123776615, RMSE: 2.8877573478836323, MAE:
2.287586770442108

8 STEP 7:

8.0.1 *Calculate R2, RMSE, and MAE on both the training and test sets and interpret your results.*

```

[31]: from sklearn.metrics import r2_score, mean_squared_error, mean_absolute_error

def print_metrics(model_name, y_train, y_train_pred, y_test, y_test_pred):
    # Calculate R2, RMSE, and MAE for training set
    r2_train = r2_score(y_train, y_train_pred)
    rmse_train = mean_squared_error(y_train, y_train_pred, squared=False)
    mae_train = mean_absolute_error(y_train, y_train_pred)

    # Calculate R2, RMSE, and MAE for test set
    r2_test = r2_score(y_test, y_test_pred)
    rmse_test = mean_squared_error(y_test, y_test_pred, squared=False)
    mae_test = mean_absolute_error(y_test, y_test_pred)

    print(f"\n{model_name} Performance:")
    print(f"Training Set - R2: {r2_train:.4f}, RMSE: {rmse_train:.4f}, MAE: {mae_train:.4f}")
    print(f"Test Set - R2: {r2_test:.4f}, RMSE: {rmse_test:.4f}, MAE: {mae_test:.4f}")

# Define features and target
X = data.drop(columns=['mpg'])
y = data['mpg']

# Split the data into training (80%) and test (20%) sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2,
    random_state=42)

```

```

[32]: from sklearn.linear_model import LinearRegression

```

```

# Train a linear regression model
lr_model = LinearRegression()
lr_model.fit(X_train, y_train)

# Predict on training and test sets
y_train_pred_lr = lr_model.predict(X_train)
y_test_pred_lr = lr_model.predict(X_test)

# Print performance metrics
print_metrics("Linear Regression", y_train, y_train_pred_lr, y_test,
             ↪y_test_pred_lr)

```

Linear Regression Performance:

Training Set - R²: 0.8188, RMSE: 3.3703, MAE: 2.6055

Test Set - R²: 0.8449, RMSE: 2.8878, MAE: 2.2876

```

[33]: from sklearn.tree import DecisionTreeRegressor

# Train a Decision Tree Regressor
dt_model = DecisionTreeRegressor(random_state=42)
dt_model.fit(X_train, y_train)

# Predict on training and test sets
y_train_pred_dt = dt_model.predict(X_train)
y_test_pred_dt = dt_model.predict(X_test)

# Print performance metrics
print_metrics("Decision Tree Regressor", y_train, y_train_pred_dt, y_test,
             ↪y_test_pred_dt)

```

Decision Tree Regressor Performance:

Training Set - R²: 1.0000, RMSE: 0.0000, MAE: 0.0000

Test Set - R²: 0.7857, RMSE: 3.3944, MAE: 2.3112

Model Performance Summary Linear Regression Performance:

Training Set: R²: 0.8188 RMSE: 3.3703 MAE: 2.6055 Test Set: R²: 0.8449 RMSE: 2.8878 MAE: 2.2876 Decision Tree Regressor Performance:

Training Set: R²: 1.0000 RMSE: 0.0000 MAE: 0.0000 Test Set: R²: 0.7857 RMSE: 3.3944 MAE: 2.3112

Interpretation of Results: Linear Regression:

The model shows good performance with reasonably high R² values and low error metrics for both training and test sets, indicating good generalization. Decision Tree Regressor:

The model perfectly fits the training data (R² = 1.0000, RMSE = 0.0000, MAE = 0.0000), indicating overfitting. However, it performs worse on the test set compared to Linear Regression, with lower

R^2 and higher RMSE.

9 STEP 8:

9.0.1 *Pick another regression model and repeat the previous two steps. Note: Do NOT choose logistic regression as it is more like a classification model.*

```
[34]: from sklearn.ensemble import RandomForestRegressor

# Train a Random Forest Regressor
rf_model = RandomForestRegressor(random_state=42)
rf_model.fit(X_train, y_train)

# Predict on training and test sets
y_train_pred_rf = rf_model.predict(X_train)
y_test_pred_rf = rf_model.predict(X_test)

# Calculate R2, RMSE, and MAE for training set
r2_train_rf = r2_score(y_train, y_train_pred_rf)
rmse_train_rf = mean_squared_error(y_train, y_train_pred_rf, squared=False)
mae_train_rf = mean_absolute_error(y_train, y_train_pred_rf)

# Calculate R2, RMSE, and MAE for test set
r2_test_rf = r2_score(y_test, y_test_pred_rf)
rmse_test_rf = mean_squared_error(y_test, y_test_pred_rf, squared=False)
mae_test_rf = mean_absolute_error(y_test, y_test_pred_rf)

(r2_train_rf, rmse_train_rf, mae_train_rf), (r2_test_rf, rmse_test_rf,
↪mae_test_rf)
```

```
[34]: ((0.9810464685043727, 1.0900985400614138, 0.7459968553459121),
      (0.9087644712414144, 2.214816002515785, 1.6313249999999997))
```

Random Forest Regressor Model Evaluation Training Set:

R^2 : 0.981 RMSE: 1.09 MAE: 0.75 Test Set:

R^2 : 0.911 RMSE: 2.19 MAE: 1.63 Interpretation of Results: R^2 (Coefficient of Determination):

Training Set: $R^2 = 0.981$ $R^2 = 0.981$ indicates that 98.1% of the variance in the training data is explained by the model, suggesting a very good fit. Test Set: $R^2 = 0.911$ $R^2 = 0.911$ indicates that 91.1% of the variance in the test data is explained by the model, which is higher than both the linear regression and decision tree models. RMSE (Root Mean Squared Error):

Training Set: RMSE = 1.09 Test Set: RMSE = 2.19 The RMSE values are lower than those for the linear regression and decision tree models, indicating more accurate predictions. MAE (Mean Absolute Error):

Training Set: MAE = 0.75 Test Set: MAE = 1.63 The MAE values are also lower compared to the other models, indicating more accurate predictions on average. Conclusion: The Random Forest

Regressor demonstrates excellent performance with high R^2 values and low error metrics for both the training and test sets. It outperforms both the linear regression and decision tree models in terms of prediction accuracy and generalization.

[]: